

Module Code	CE7S07
Module Name	S7: A Unified Theory of Structures
ECTS Weighting¹	5 ECTS
Semester taught	Semester 2
Module Coordinator/s	Associate Prof Roger P. West (rwest@tcd.ie)
Module Learning Outcomes with reference to the Graduate Attributes and how they are developed in discipline	<p>On successful completion of this module, students should be able to:</p> <p>LO1. Develop a theoretical approach to Structural Analysis which combines many of the different aspects into one unified theory governed by fundamental underlying equations and relationships.</p> <p>LO2. Develop a new and deeper understanding of structural behaviour.</p> <p>LO3. Understand the underlying concepts behind optimisation theory.</p> <p>LO4. Develop optimised solutions to practical problems in structural analysis and design.</p> <p>Graduate Attributes: levels of attainment</p> <p>To act responsibly - Introduced</p> <p>To think independently - Enhanced</p> <p>To develop continuously - Enhanced</p> <p>To communicate effectively - Not embedded</p>
Module Content	<p>This module will introduce Static Kinematic Duality, on which much of structural analysis and synthesis is based, including plastic analysis using optimisation. The aim of the module is to develop a unified theory of structural analysis, thereby giving the engineer much more confidence when analysing the behaviour of real structures. It complements very well the other structural modules by providing a quite different but fundamental approach.</p> <p>Structural Analysis:</p> <ol style="list-style-type: none"> 1. Introduction to Static Kinematic Duality, general compatibility relationship, application to elastic statically redundant structures. 2. Introduction to plastic behaviour, uniqueness theorem of plastic collapse, yield conditions for collapse. 3. Elastic and elastoplastic deformations of skeletal frames, the holonomic condition, classical plastic limit analysis involving, upper and lower bound theorems.

4. Basic mechanisms and the duality gap, static and kinematic admissibility

Mathematical Theory of Optimisation:

Introduction to the basics of Optimisation Theory, including the following:

1. Theory of optimisation, classical and general Lagrangian optimisation, Lagrangian multipliers.
2. Primal and dual, slack and surplus variables and conditions for optimality, Kuhn Tucker multipliers and constraints.
3. Linear complementarity problems, the conditions for optimality, Primal and Dual linear and quadratic programs.
4. Applications using the Simplex Algorithm.

Structural Optimisation:

Solving structural design problems using optimisation theory, thus:

1. Plastic collapse and static/kinematic admissibility as a linear complementary problem, mechanism compatibility.
2. Mesh and nodal dual linear program of plastic limit analysis and synthesis, duality theorem.
3. Applications to real structural optimisation problems using the simplex algorithm.

Teaching and Learning Methods

1. Core content via lecture (direct).
2. Weekly personalised individual assignments.

Assessment Details²

Please include the following:

- Assessment Component
- Assessment description
- Learning Outcome(s) addressed
- % of total
- Assessment due date

Assessment Component	Assessment Description	LO Addressed	% of total	Week due
	Continuous Assessment		25%	Weekly
	Examination (3 hours)		75%	

Reassessment Requirements	Examination [3 hours] – 100% in person examination			
Contact Hours and Indicative Student Workload²	Contact hours: Lectures – 40 hours; Tutorials – 4 hours			
	Independent Study (preparation for course and review of materials): 3 x 11 weeks			
	Independent Study (preparation for assessment, incl. completion of assessment): Weekly tutorials – 1 x 11 weeks, exam preparation 12 hours			
Recommended Reading List	None			
Module Pre-requisite	Undergraduate structural analysis module			
Module Co-requisite				
Module Website				
Are other Schools/Departments involved in the delivery of this module? If yes, please provide details.				
Module Approval Date	2000			
Approved by				
Academic Start Year	1 st September 2022			
Academic Year of Date	2022/2023			