

# IS-LM Model

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- Mankiw and Taylor (2008), Macroeconomics: Chapter 10.1 and .2 and 11.1

# Plan for Next Three Lectures

- IS curve
- LM curve
- ISLM equilibrium
- Fiscal/monetary policy in ISLM model
- Policy applications

# Basic Assumptions

- Closed economy.
- Exogenously fixed nominal price level,  $P$ .
- Inflation expectations are exogenous.
- $r = i$ .
- There is one basket of goods.

# Keynesian Cross and Investment Demand

- Keynesian Cross shows planned expenditure ( $E^P$ ):

$$E^P \equiv C + I + G$$

or,

$$E^P \equiv \overbrace{C(Y - T)}^{\text{hhlds}} + \overbrace{I^P(r)}^{\text{firms}} + \overbrace{G}^{\text{govt.}}$$

disp. incm


- Consumption rises with income:  $\Delta C / \Delta Y > 0$ .
- National saving,  $S$ , is composed of private saving ( $Y - T - C$ ) plus government saving ( $T - G$ ). Saving equals investment:

$$S = I$$

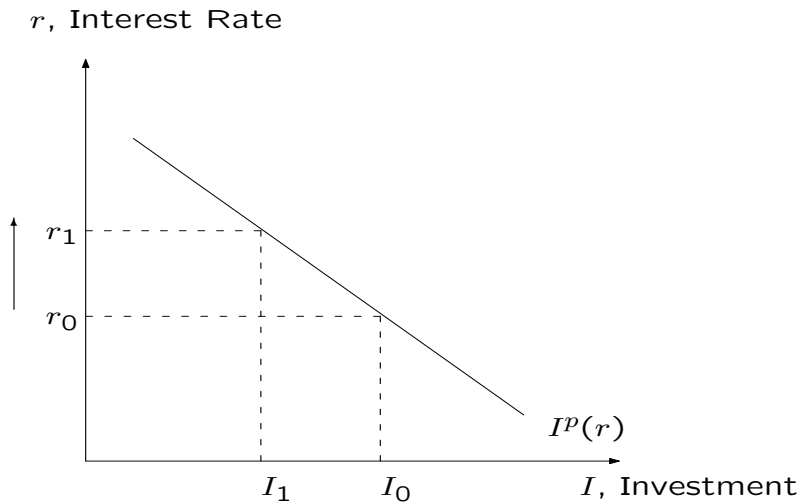
# Keynesian Cross and Investment Demand

- Keynesian Cross:
  - 1 Equilibrium: planned expenditure=spending (income):  $E^P = Y$ .
  - 2 Higher  $r$ , lowers  $I$ , which lowers  $E^P$  s.t.  $E_1^P < Y_0$ .  $Y$  decreases from  $Y_0$  to  $Y_1$  to reach equilibrium -  $\Delta I$  'faster' than  $\Delta Y$ .<sup>1</sup>
- Investment Demand:
  - 1 Investment falls with the real interest rate ( $I^P$  is planned investment):  $\Delta I^P / \Delta r < 0$ .
  - 2 We typically assume there is a linear relationship.

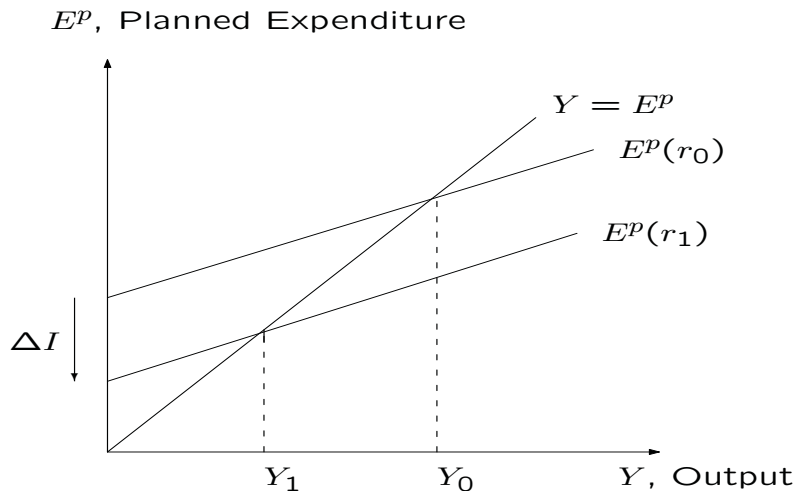
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<sup>1</sup>We also see that investment is more variable than output in the data. 

# Investment Demand Schedule



# Keynesian Cross





# From the Keynesian cross to IS Curve

- **IS Curve:** combinations of real output (GDP) and (real) interest rate such that **planned** and **actual expenditures are equal**.

$$E^P = E(Y, r, G, T) \equiv C(Y - T) + I^P(r) + G$$

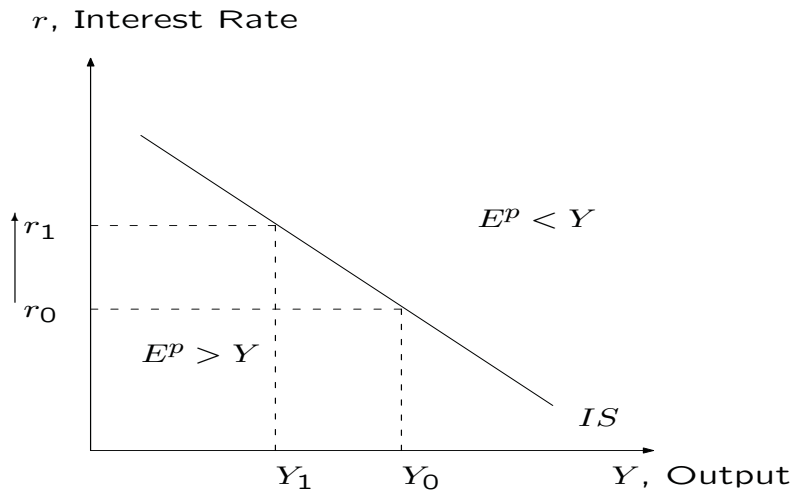
Totally differentiating  $C(Y - T) + I^P(r) + G$  w.r.t.  $Y$  and  $r$  (assuming fiscal policy ( $G$  and  $T$ ) is fixed) yields:

$$\Delta Y = \Delta E^P = C_Y \Delta Y + I_r \Delta r$$

where  $0 < C_Y < 1$  is the *MPC* (and slope of the planned exp. line in the Keynesian cross diagram) and  $I_r < 0$ . So,

$$(\Delta Y) / (\Delta r)|_{IS} = I_r / (1 - C_Y) < 0$$

# The IS Curve



# Slope of the IS Curve

- A given **change in the interest rate** will have a bigger impact on output the flatter the *IS* curve. That is, if either:
  - 1 The interest sensitivity of planned expenditure (via investment  $I_r$ ) is high  $\Rightarrow$  **planned expenditure line shifts further**, so output falls further.
  - 2 The marginal propensity to consume out of disposable income ( $C_Y$ ) is large  $\Rightarrow$  higher *MPC* implies **steeper planned expenditure line**, so output must fall further in response to a given downward shift of the planned expenditure line to return to planned = actual expenditure.

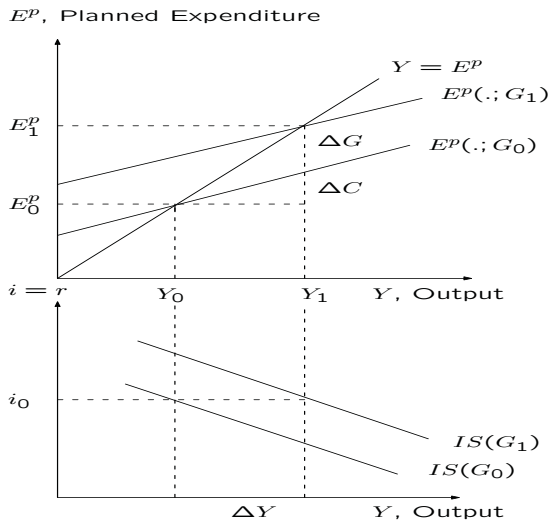
# Shifting the IS Curve

- Assume  $r = i$  is fixed. Increase in government purchases  $G$  (in general, change autonomous spending).
- Recall,  $Y = C(Y - T) + I^P(r) + G$ , then differentiate w.r.t.  $Y$  and  $G$ , with  $T, I^P(r)$  fixed  $\Rightarrow \Delta Y = C_Y \Delta Y + \Delta G$ , and rearrange  $\Rightarrow$  the government purchases multiplier is:

$$(\Delta Y) / (\Delta G)|_r = 1 / (1 - C_Y) > 1$$

- Magnitude of govt purchases multiplier:  $0 < (C_Y = MPC) < 1$  so  $1 / (1 - C_Y) > 1$ .
- **Intuition:** An increase in  $G$  raises private income. This raises consumption, which itself raises private income. Thus there is a multiplied effect of government spending.

# Government Spending



- The Keynesian cross and IS curve actually show the same thing. The difference is that we represent them in different spaces.
- The Keynesian cross in  $(E^P, Y)$  space and the IS in  $(r, Y)$  space.
- In  $(r, Y)$  space, we have to hold the interest rate fixed when we look at the effects of government spending.
- To complete the analysis we also need to include the money and bonds markets alongside the goods market.
- In this case, we can see what impact changes in fiscal policy have on things such as the interest rate.

# Money and Bonds Portfolio

- Agents have access to two assets
  - 1 they hold **money** ( $M$ ) to **spend** on goods.
  - 2 they hold **bonds** ( $B$ , e.g. consols: pay fixed yearly amount (\$1) forever, starting next year) to **save**, i.e. spend in the future
- Real financial wealth,  $A$ , is given by:

$$A = M^s / P + (P_B / P) B^s$$

where,  $s$  denotes stock.

- $A$  is basically a reflection of the portfolio of an individual.

# The Bond Market

- $B^s$  is the total number of bonds issued (= volume of bonds) and the price of bonds is  $P_B$  (so  $P_B B^s$  is nominal value of bonds)
- Assume the demand for bonds is given by:

$$B^d(i, Y)$$

$\begin{matrix} + & + \end{matrix}$

- If income rises so does the demand to hold bonds - some income is held in cash to buy goods now, some in bonds, to buy goods later.
- If the interest rate rises ('payoff' from holding the bond) the price of bonds falls and bond demand increases.



# The Money Market

- Money stock equals currency and liquid bonds (regular bonds are illiquid within period).
- Treat supply of nominal money balances  $M^s$  as exogenous. Recall that the price level,  $P$ , is exogenous (and assumed fixed).
- The demand for money is given by:

$$(M/P)^d = L(\underset{-}{i}, \underset{+}{Y})$$

- $\Delta L / \Delta i \equiv L_i < 0 \Rightarrow$  if the interest rate goes up you put more into bonds (money bears no interest).
- $\Delta L / \Delta Y \equiv L_Y > 0 \Rightarrow$  if your income goes up, you consume more now. To do this you need more money.

# More on Money Demand

- Revision comments:
  - $i$  = opportunity cost of holding money (i.e. you could put you money into bonds and get interest back).
  - $L(\cdot)$  stands for **Liquidity Preference**.
- The role of money more generally is as a ...
  - **medium of exchange**: intermediary used in trade to avoid a pure barter system.
  - **store of value**: measurement of the market value of goods.
  - **unit of account**: able to be reliably saved, stored, and retrieved
- $M^s$ , i.e. valueless money, is called Fiat money.<sup>2</sup>

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<sup>2</sup>Think: not gold coins.

- If the money market is in equilibrium so is the bond market. That is:

$$M^s / P - L(i, Y) = (P_B / P) [B^d(i, Y) - B^s]$$

- If  $M^s / P > M^d / P \equiv L(i, Y) \Rightarrow B^d(i, Y) > B^s$  etc. Given  $Y$  and  $P$ ,  $i$  falls to clear the market.
- We also need to impose that money demand equal money supply:

$$M^s / P = (M / P)^d$$

- Now we have an LM curve:

$$M^s / P = L(i, Y)$$

where  $M^s$  is exogenous.<sup>3</sup>

<sup>3</sup>We usually think of  $M^s$  as  $M0$  (notes and coins). Other types include  $M2$ ,  $M4$ , which are broader definitions.

- LM curve shows combinations of real output and interest rate such that the money market is in equilibrium, for a given price level.

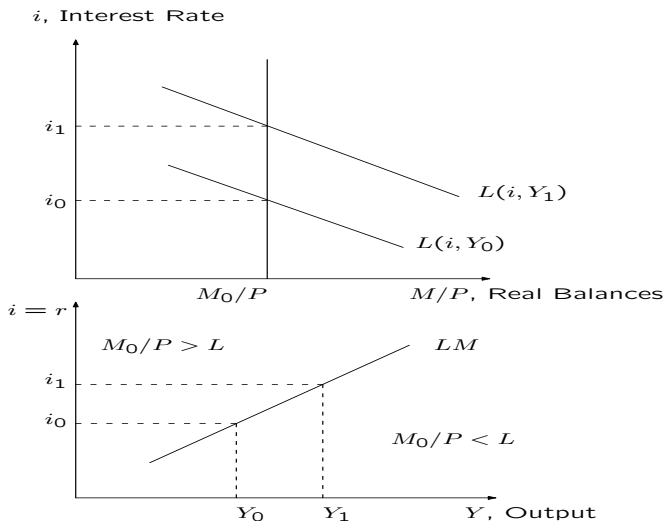
$$M^s/P = L(i, Y)$$

- Again:  $\Delta L/\Delta i \equiv L_i < 0$  and  $\Delta L/\Delta Y \equiv L_Y > 0$ .
  - **Note:** we use the nominal interest rate for the LM and the real interest rate for the IS.
- 1 the nominal interest rate affects individuals portfolio decision b/w money and bonds.
  - 2 the real interest rate affects firms investment decisions.
- ..... however, we have assumed  $i = r$ .

# Changes in Output

- Although output is endogenous, we can ask what happens if it changes.
- Suppose  $Y_1 > Y_0$ . This raises money demand,  $L(i, Y)$ .
- As  $M^s/P$  is fixed  $M^s < M^d$  and  $L$  needs to fall.
- However,  $M^s < M^d$  is consistent with  $B^d(i, Y) < B^s$ .
- As  $B^s$  is fixed, the price of bonds falls, which is equivalent to a higher interest rate (that is, a higher payoff to holding a bond).

# Money Market and LM Curve



# Slope of the LM Curve

- LM curve slopes upwards in  $(i, Y)$  space. This can be seen by totally differentiating  $M^s/P = L(i, Y)$  w.r.t.  $i, Y$ :

$$0 = L_i \Delta i + L_Y \Delta Y$$

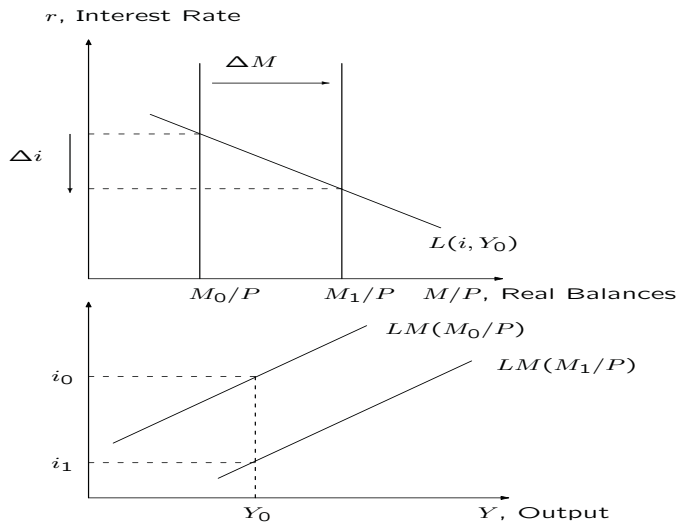
- So,  $(\Delta i)/(\Delta Y)|_{LM} = -L_Y/L_i > 0$  as  $L_Y > 0$  and  $L_i < 0$ .
- **A given change in income** will have a smaller impact on the interest rate along the LM curve, i.e. the LM curve is relatively flat, either
  - 1 the lower the income sensitivity of money demand,  $L_Y$  (i.e., the increase in money demand is less when output rises).
  - 2 the higher the interest sensitivity of money demand,  $L_i$ .

# Shifting the LM Curve

- So far,  $M^s$  has been fixed. However, it can also be a policy variable.
- Suppose there is an increase in  $M^s$ .
- This implies  $M^s > M^d$  at the current interest rate and so individuals prefer to buy bonds rather than hold this extra cash.
- This raises the price of bonds and  $i$  falls to clear the market.
- People are now happy to hold the additional money balances and the money market returns to equilibrium at a lower interest rate.



# Shifting the LM Curve



# The Short-Run ISLM Equilibrium

- Recap
- ① IS Curve gives combinations of real output (GDP) and **real interest rate** such that planned and actual expenditures on real output are equal.
- ② LM Curve gives combinations of real output and **nominal interest rate** such that the money market is in equilibrium, for a given price level.
- As  $r = i$  we can plot the IS and LM conditions in  $(i = r, Y)$  space as we have two conditions in two unknowns.

# Stability of the ISLM Equilibrium

*Goods Market:*

$$Y = E^P = C(Y - T) + I^P(r) + G$$

If  $Y > E^P$  goods demand is too low, firms accumulate unwanted inventories ( $I_0 > 0$ ), so they cut back on production. And

$Y < E^P \Rightarrow I_0 < 0$ .

*Money Market:*

$$(M^d/P) = (M^s/P) = L(i, Y)$$

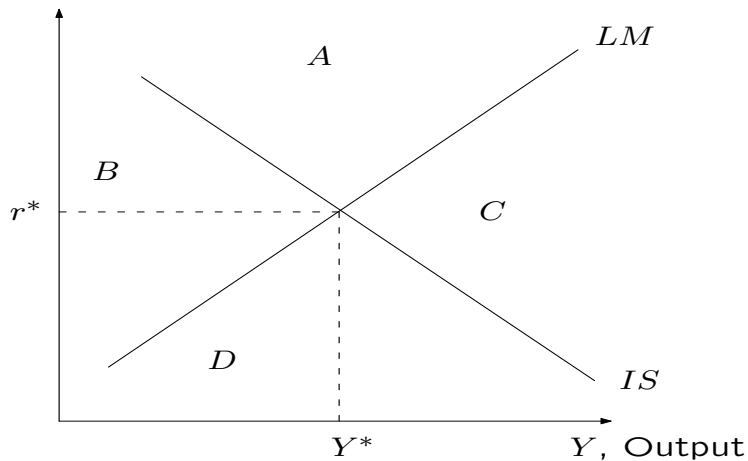
If  $M^s > M^d$ , then bond supply is less than bond demand and the interest rate falls to clear the market. With  $M^d > M^s$ , it is the opposite.

*Equilibrium:*

$M^s = M^d$  and  $Y = E^P$ .

# IS-LM Equilibrium

$r$ , Interest Rate



# Round-up of ISLM so far ...

- ISLM captures the **demand side** and is **short-run** focused.
- **Firms** invest and **households** consume, hold money and save (buy bonds to consume later).
- ISLM is not really concerned with production - i.e. where the goods come from. That is the supply side.
- Next we want to consider policy options.

# Functional Forms

- In macro we often adopt specific functional forms:
- They (can) make things easier
- They allows us to get explicit solutions (and quantify things)
- See the Appendix of Ch. 11 in Mankiw's textbook for a similar analysis to that below.


- We assume the IS and LM equations have the following form:

$$m^s - p = ky - \epsilon i$$

$$y = a + \delta(y - t) + h_0 - \gamma r + g$$

- **The parameters we have chosen measure the elasticities.**<sup>4</sup>
- In this course we will usually work with these types of equations.
  - Advantage - we can solve the model explicitly and find the multipliers for policy
  - Disadvantage - we may lose some intuition.

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<sup>4</sup>Note: we have switched from (mostly) upper case to lower case letters. 

# Exogenous/Endogenous Variables and Parameters

$$i = \frac{1}{\gamma} [a - (1 - \delta) y - \delta t + h_0 + g] : \text{IS}$$

$$i = \frac{1}{\epsilon} [ky - (m^s - p)] : \text{LM}$$

- **Endogenous:**  $i$  = interest rate and  $y$  = output.
- **Exogenous:**  $m^s$  = money supply,  $p$  = price level,  $a$  = autonomous consumption,  $t$  = taxes,  $h_0$  = autonomous investment,  $g$  = government spending.
- **Parameters:**  $\gamma$  = interest elasticity of investment,  $\delta < 1$  = MPC,  $\epsilon$  = interest semi-elasticity of money demand,  $k$  = income elasticity of money demand.



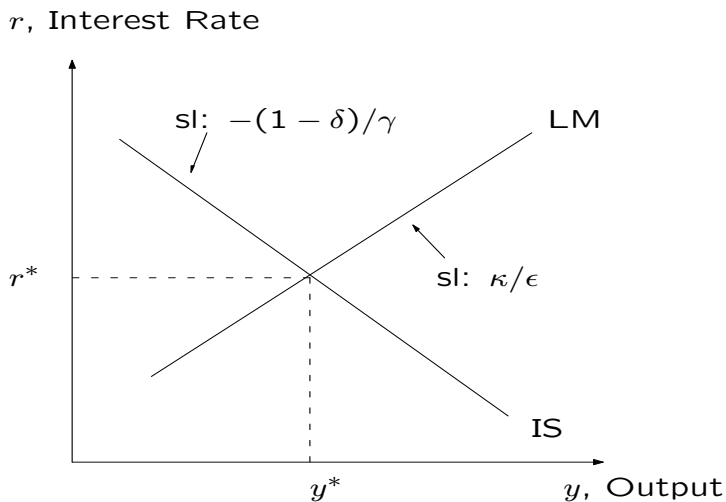
# Parameter Restrictions and The Quantity Equation

- The velocity equation is usually written as  $MV = PY$ . In logs,  $m - p = y - v$ .
- The simplest case is  $V$  constant and equal to one. In that case,

$$m - p = y$$

- We can now see that our LM is a generalized version of this equation, with  $\epsilon = 0$  and  $k = 1$ .
- For example, we can measure the impact of changes in the interest rate on liquidity by varying the interest elasticity of money demand,  $\epsilon$ .

# ISLM Equilibrium



- With functional forms the solution to the ISLM model can be written in the following way:

$$y^* = \Omega \left[ a - \delta t + h_0 + g + \frac{\gamma}{\epsilon} (m^s - p) \right]$$

$$\text{where } \Omega \equiv \left( 1 - \delta + \frac{\gamma k}{\epsilon} \right)^{-1} > 0$$

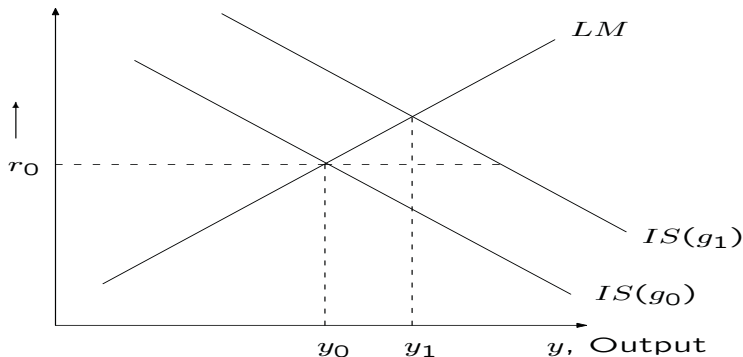
$$i^* = \frac{1}{\epsilon} [ky^* - (m^s - p)]$$

- Now we can see **exactly how monetary and fiscal policy affect output and the interest rate** and the significance of the elasticity assumptions.

- An increase in government spending raises output. But there are two mechanisms at work.
- Through the IS curve output goes up (this direct effect, via the Keynesian cross, is  $1 / (1 - \delta)$ ).
- However, the interest rate goes up. And we know that reduces investment. This lowers output (an indirect effect).
- Overall, output rises by  $\Omega = \left(1 - \delta + \frac{\gamma k}{\epsilon}\right)^{-1} < (1 - \delta)^{-1}$ . So, fiscal policy is said to **crowd out** investment.

# Fiscal Policy and Crowding Out

$r$ , Interest Rate



Government Purchases Multiplier

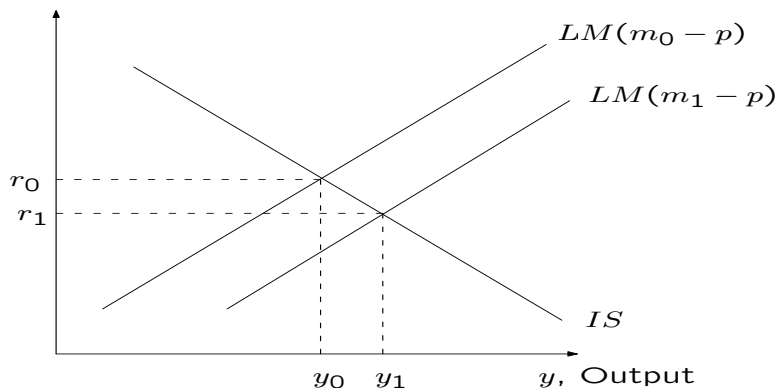
Effect on Output WITH Crowding Out

## Monetary Policy: $\uparrow m^s$

- Suppose there is an increase in  $m^s$ .
- This implies  $m^s > m^d$  at the current interest rate and so individuals prefer to buy bonds rather than hold this extra cash.
- However,  $i$  falls to clear the market such that people are happy to hold additional money balances and the money market returns to equilibrium at a lower interest rate.
- This impacts the goods market, as a reduction in  $i$  stimulates investment.
- This raises expenditures, and subsequently  $y$ .
- We call this the 'monetary transmission mechanism'.

# Monetary Transmission Mechanism

$r$ , Interest Rate



Here  $m_0 \rightarrow m_1$ , where  $m_0 < m_1$  and  $p$  is fixed.

- The lowering of the interest rate by printing money is sometimes called the 'liquidity' effect.
- The effect on output of policy is given by:

$$\Delta y^* / \Delta m^s = (\gamma / \epsilon) \Omega > 0$$

- The change in the interest rate is:

$$\begin{aligned} \Delta i^* / \Delta m^s &= \frac{1}{\epsilon} [k (\Delta y / \Delta m^s) - 1] \leq 0 \\ &= - (1 - \delta) / [(1 - \delta) + \gamma k] < 0 \end{aligned}$$

- Mechanism:  $\Delta m^s, p = \bar{p} \rightarrow \Delta i \rightarrow \Delta I \rightarrow \Delta y$ .



# Fiscal vs. Monetary Policy

- Another question we can now ask - what are the relative powers of fiscal and monetary policy on output?
- Since we have adopted functional forms we can answer this type of question.

$$\begin{aligned}\frac{\Delta y^* / \Delta g}{\Delta y^* / \Delta m^s} &= \frac{\Omega}{(\gamma / \epsilon) \Omega} \\ &= \frac{\epsilon}{\gamma} = \frac{\text{interest elasticity of money demand}}{\text{interest elasticity of investment}}\end{aligned}$$

- If  $\epsilon > \gamma$ , then fiscal policy (as studied here) is more effective than monetary policy.

# On Keynesian vs. Monetarists

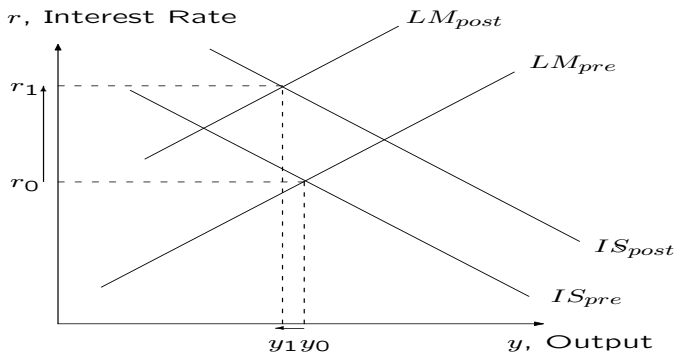
- What do **Keynesians** think (roughly):  $\epsilon$  is large and  $\gamma$  is small (poss. 'animal spirits')  $\Rightarrow$  **fiscal policy is more important.**
  - What do **Monetarists** think (roughly): the opposite! They think  $\epsilon$  is small, the LM is steep and **monetary policy is more important.**
  - This makes knowing (i.e. estimating) the elasticities very important. But that turns out to be difficult.
- 1 data issues
  - 2 stability of money demand over time.

# Should we take this seriously?

- We note that monetary policy may not be  $\Delta m^s$ . Central banks tend to use short-term interest rates.
- The same point holds for fiscal policy. We can interpret  $\Delta g$  as building roads or hospitals. However, fiscal policy is many other things (including changes in taxation).
- Also, we think of monetary policy as happening quickly (the central bank sets  $i$  in the UK once a month and its effects last up to three years).
- Fiscal policy can take much longer to implement and be set permanently or temporarily (Obama's recent fiscal stimulus).

# More Policies - Germany in the 1990s

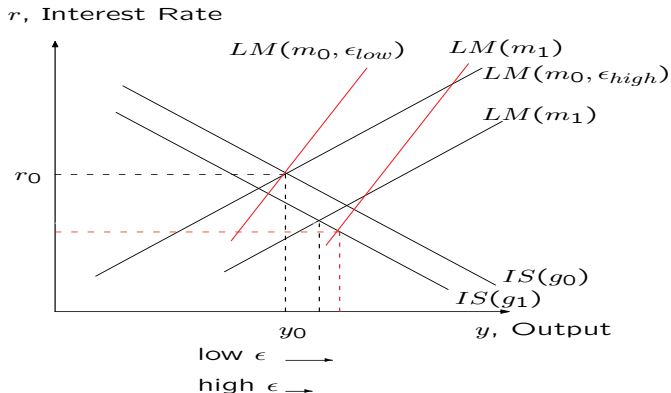
- Unification demands (i.e. a rise in  $g$ ) alongside inflation fears kept in place by a monetary contraction (i.e. a fall in  $m$ )



Output Change: Ambiguous

# US in the 1990s

- Fiscal consolidation (here, modeled as a drop in  $g$ ) whilst the Fed tried to avoid the recession and allowed a 'monetary easing' (here, increase  $m$ ).



# Other Examples

- UK in the early 1980s:
  - Thatcher govt. elected in 1979. 'Right-wing' policies of fiscal prudence and anti-inflation policies.
  - This caused a large recession in the UK.
- US in early 2000s:
  - George W. Bush's large tax cuts and relatively lax monetary policy
  - Complicated by the US economy borrowing heavily from abroad to maintain high consumption levels.
- Not brave enough to comment on the Irish situation!

- We built an ISLM model based on Keynesian Cross and Money and Bond market equilibrium.
- We used it to study Fiscal (and crowding out) and Monetary Policy.
- It helps to clarify the policy options and potential pitfalls.
- But - what about the difference between real and nominal interest rates? What role does that play, if any?

# Fisher Equation

- **Nominal Interest Rate** is the interest rate expressed in units of money ( $i_t$ )
- It tells us how much money we have to pay in the future in exchange for having one more unit of money today ( $1 + i_t$ )
- **Real Interest Rate** is the interest rate expressed in terms of a basket of goods ( $r_t$ )
- It tells us how many goods we have to give up in the future in exchange for having one more basket of goods today ( $1 + r_t$ )
- The real interest rate is important since agents consume goods and not money.



# Nominal and Real Interest Rates

- Suppose you borrow money today to buy a good of price  $P_t$ . Then you have to repay  $(1 + i_{t+1})P_t$  next year.
- In terms of goods (real terms), next period, you need to deflate by what you expect the price level to be. That is,  $P_{t+1}^e$ .
- Thus, you expect to payback, in real terms,

$$(1 + i_{t+1}) \frac{P_t}{P_{t+1}^e}$$

- It follows that the one-year real interest rate is,

$$(1 + r_{t+1}) = (1 + i_{t+1}) \frac{P_t}{P_{t+1}^e}$$

# Nominal and Real Interest Rates

- Expected inflation is defined as

$$\pi_{t+1}^e = \frac{P_{t+1}^e - P_t}{P_t}$$

- We find:  $(1 + r_{t+1}) = (1 + i_{t+1}) / (1 + \pi_{t+1}^e)$ . But if  $i_{t+1}$  and  $\pi_{t+1}^e$  are small, then,

$$(1 + i_{t+1}) / (1 + \pi_{t+1}^e) \approx 1 + i_t - \pi_{t+1}^e$$

and,

$$r_{t+1} = i_{t+1} - \pi_{t+1}^e$$

- This is the **Fisher Equation**.

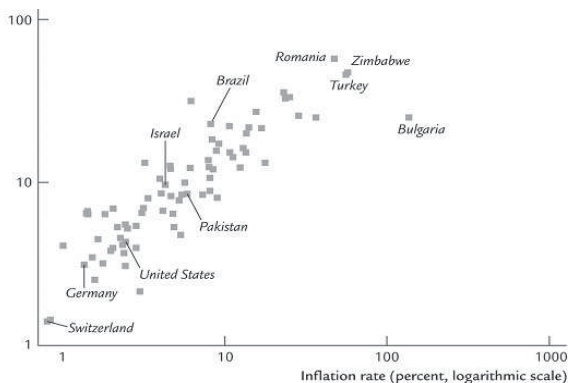
# Ex-ante and ex-post real interest rates

- The real interest rate actually captures two periods. This is reflected in  $P_t$  and  $P_{t+1}^e$ .
- When we borrow/lend we don't know what inflation will be over the period.
- This leads to two concepts of the real interest rate (dropping  $t$ 's).
  - 1  $r$  when the loan is made (or  $r^e$ ): *ex-ante* rate:  $r^e = i - \pi^e$
  - 2  $r$  once the inflation rate is realized: *ex-post* rate:  $r = i - \pi$
- These will only be the same if our expectation is correct.

# Implications of the Fisher Equation

- We distinguish three cases:
  - $\pi^e = 0 \Rightarrow r = i$  (used above)
  - $\pi^e > 0 \Rightarrow r < i$
  - $\pi^e = i \Rightarrow r = 0$
- 1 Notice that  $i \geq 0$  (referred to as the **Zero Lower Bound**) but  $r \leq 0$ .  
US has recently had  $r < 0$ .
  - 2 **Fisher Hypothesis:** nominal interest rate changes one-for-one with the rate of change of the money supply (no effect on the real interest rate).

# Fisher Effect (Source: Mankiw)



- $i$  is on the vertical axis and inflation responds 1-for-1 with the growth in the money supply.

# The ISLM Model and the Fisher Equation

- We use the same model as before - we eliminate  $r$  from the IS using the Fisher equation.

$$m^s - p = ky - \epsilon(r + \pi^e)$$

$$y = a + \delta(y - t) + h_0 - \gamma r + g$$

- We assumed that expectations are exogenous. What happens if expectations change?
- There are real effects, that is, output changes. Expected inflation influencing output is called the Mundell-Tobin effect.

# The US Depression - 1930s

- Since the decline in income in 1930's coincided with falling interest rates some suggest there was a contractionary shift in the IS curve.
- **Causes:**
  - 1 A downward shift in the consumption function (i.e., the  $C(Y - T)$  part of the Keynesian cross)?
  - 2 A large drop in housing investment? - there was a residential investment boom in the 1920s  $\Rightarrow$  overbuilding.
  - 3 Amplification: banks also failed. Bad loans were made and not paid back. This lowered investment demand and loans to businesses.

# Japan's Liquidity Trap (most of the 1990s)

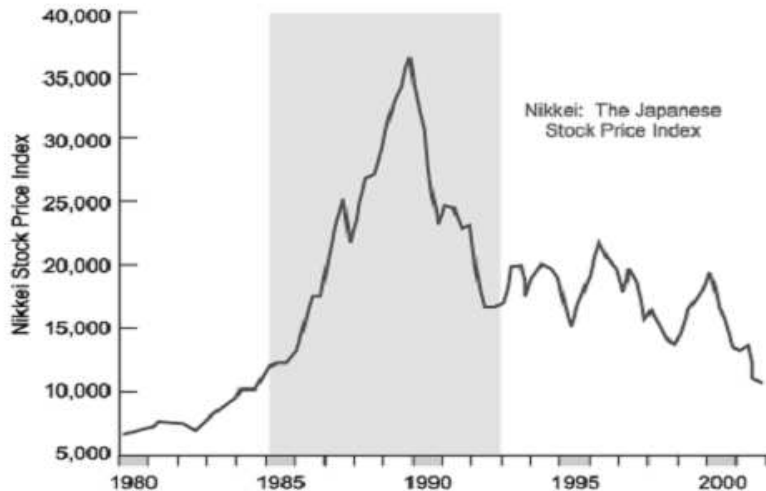
- Keynes argued that during a depression, such as the US in the 1930s, monetary policy would be ineffective at influencing aggregate demand.
- Why?
  - Monetary Policy works by lowering the nominal interest rate.
  - However, we know that there is a zero lower bound problem, that is,  $i \geq 0$ .
  - If output is very low (i.e. in a depression) we can't keep reducing the nominal interest rate.
- Paul Krugman suggested the same thing happened in Japan in the 1990s.



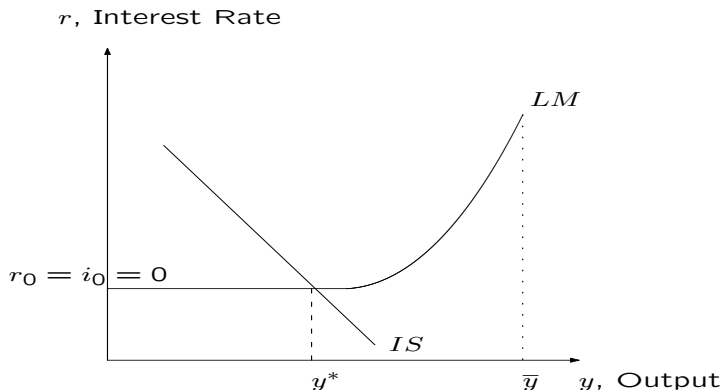
## Some more details on Japan

- In the 1980's the Japanese economy was booming. However, there was a stock market bubble.
- ① Eventually there was a drop in stock prices and the wealth of individuals dropped significantly.
- ② Banks, trying to make profits, had lent to risky companies. They failed and this magnified the effect of the stock price fall (a 'credit crunch').
- ③ We might think of this as a shock (negative) hitting the IS curve, via investment and consumption.
- ④ This also coincided with a low interest rate period.

# The NIKKEI Index



# Liquidity Trap in the ISLM Model



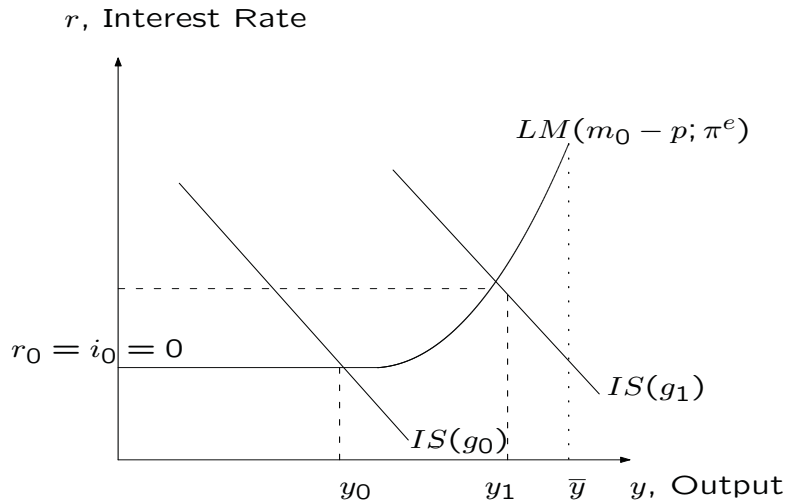
... where  $\bar{y}$  is Full Employment

- Japan hit  $i_t = 0$ . People also thought  $\pi_t^e = 0$  or slightly positive. Then  $r_t \simeq 0$ , by the Fisher equation.

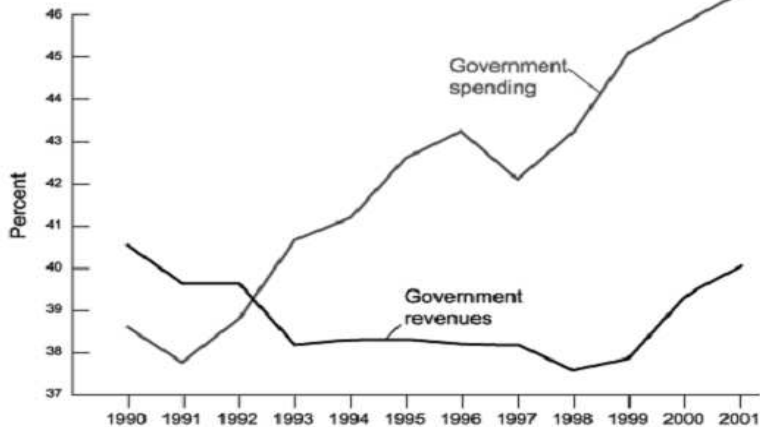
# Policy Recommendations

- We have a recession situation (i.e.  $y^* < \bar{y}$ ) and there are a limited number of policy options.
  - 1 Massive Fiscal Expansion
  - 2 Create Inflation Expectations (i.e.  $\pi^e > 0$ )
  - 3 Large  $\uparrow m$  could boost trade, via the exchange rate (we haven't covered this yet)

# Fiscal Policy Revisited



# Fiscal Policy in Japan



# Monetary/Quantitative Easing

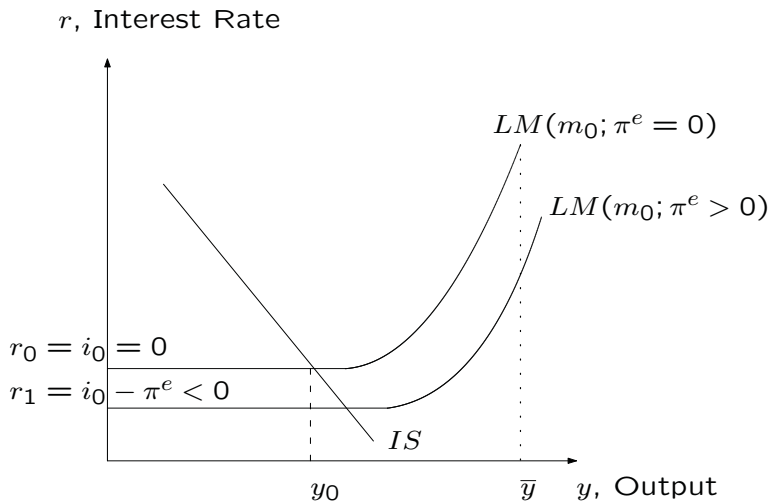
- Japan did also attempt to stimulate the economy via monetary policy, a policy called “quantitative monetary easing” - essentially this involved trying to boost liquidity in financial markets.
- This did have some (limited) impact.
- However, by then, expectations were fixed at  $\pi^e \simeq 0$ .
- So, what if we could somehow alter  $\pi^e$ ?

# 'Unusual' Monetary Policy

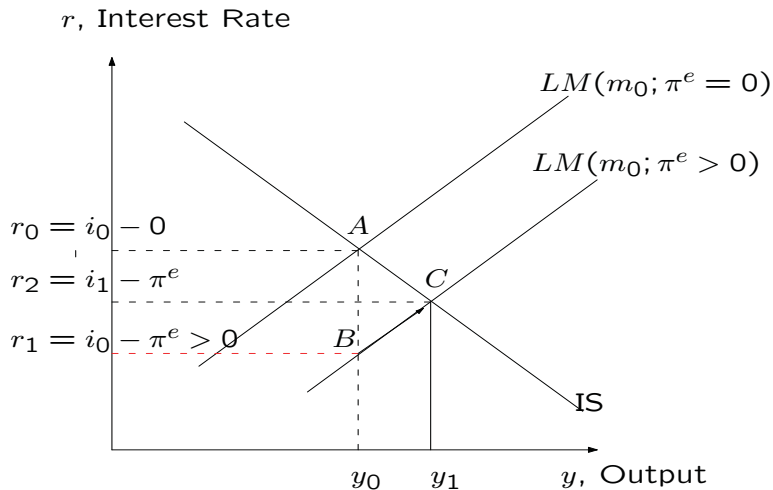
- How is all of this relevant for today? In 2000s we saw globally low interest rates, which lead to a bubble. There was also excess lending by banks. Similar to Japanese problem. Now the UK is using QM. As is the Eurozone and Fed.
- Alternative ideas:
  - ① One other (unusual) option is to attempt to raise  $\pi^e$ . For a given  $i$ , the real interest rate will fall, boosting investment. However,  $\pi^e$  is endogenous. We have assumed it is exogenous. So this solution creates other problems
  - ② **Another idea put forward - along the same lines - is that  $\pi^e$  can also affect output because the nominal interest rate rises less than one-for-one with the rate of change of the money supply (contradicts the Fisher Hypothesis) as agents change money for bonds (i.e. portfolio reallocation), itself altering the interest rate.**



# Manipulating Inflation Expectations



# Mundell-Tobin Effect



- Investment demand and Keynesian cross
- IS curve
- Money market and LM curve
- Fiscal and monetary policy
- Liquidity trap